

Starter: Find the Domain

1) $y = \sqrt{x-3} - 1$

2) $y = \frac{3}{4}\sqrt{x-3} + 1$

3) $f(x) = \frac{-x^2 - x + 12}{x^2 + 2x - 3}$

4) $f(x) = \frac{x^3 - 2x^2 - 3x}{-4x^2 + 36}$

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Starter

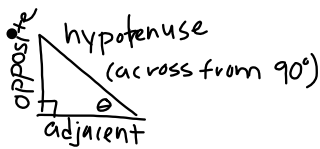
Calendar Math

4.1 Homework Questions

4.2 Transformations

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Calendar Math



Pyth Thm:
 $a^2 + b^2 = c^2$
 $(leg^2 + leg^2) = hyp^2$



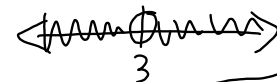
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Homework Questions

13) $f(x) = \frac{x}{x-3}$

$x-3 \neq 0$
 $+3 \quad +3$

$x \neq 3$



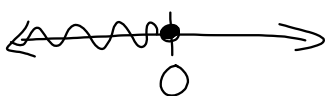
$D: (-\infty, 3) \cup (3, \infty)$

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10) $f(x) = \sqrt{-1/2x}$

$-1/2x \geq 0 \quad -2$

$x \leq 0 \quad D: (-\infty, 0]$



Nov 3-10:02 AM

19) $\frac{\sqrt{x+9}}{(x+4)(x-8)}$

$x+9 \geq 0$
 $-9 \quad -9$
 $x \geq -9$

$x+4 \neq 0$
 $-4 \quad -4$
 $x-8 \neq 0$
 $+8 \quad +8$

$x \neq -4$

$x \neq 8$

$D: [-9, -4) \cup (-4, 8) \cup (8, \infty)$

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Transformations

$$y = \frac{-\#}{a} \pm \frac{x \pm \#}{c} \pm \frac{\#}{e}$$

a Reflects about x if negative
 b Shrink/Stretch
 • if smaller than 1 will shrink
 • if greater than 1 will stretch
 c Reflects about y if negative ~~horizontal shift~~
 d Moves left or right (opp. of what you think)
 e Moves up or down $\pm \#$ (x+1) left
 + up (x-1) right
 - down

vertical

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f is any function

$g(x) = f(x-2) + 3$
 right 2
 up 3

$g(x) = -4/3(x+1)^2 - 7$
 reflects on x
 stretch 4/3
 left 1
 down 7

$g(x) = 2/5f(-x) - 5$
 shrink 2/5
 reflects the y
 down 5

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Graph the function. Identify the vertex or point of origin, the domain and the range, and the symmetry.

$f(x) = -x^2 + 6$ ex 1

reflect x
 UP 6
 V: (0, 6) R: $(-\infty, \infty)$
 D: $(-\infty, \infty)$ Sym: even

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$f(x) = (x-2)^2 - 6$ ex 2

V: (2, -6)
 D: $(-\infty, \infty)$
 R: $[-6, \infty)$
 Sym: neither

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Determine the transformations that were used to change the given parent function to the function that is graphed. Write the equation of the graphed function.

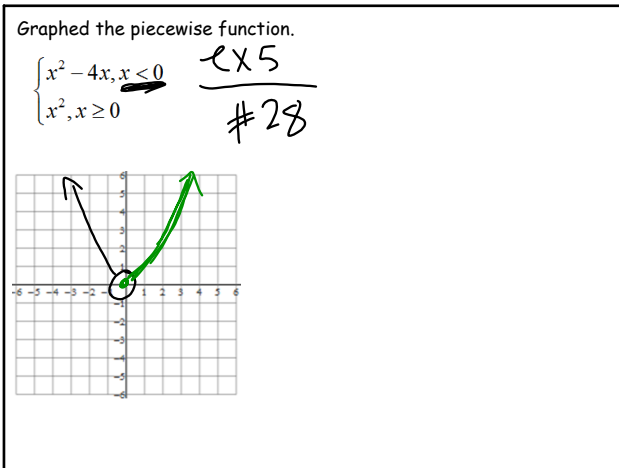
ex 3
 f(x) = x^2

$g(x) = -2(x+3)^2 + 4$

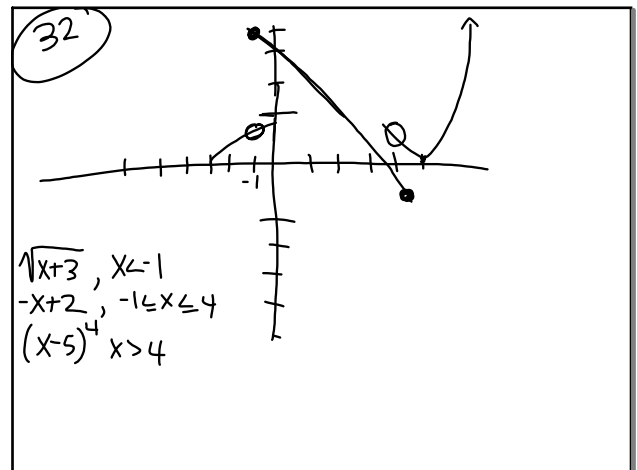
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x^3
 $\sqrt[3]{x}$

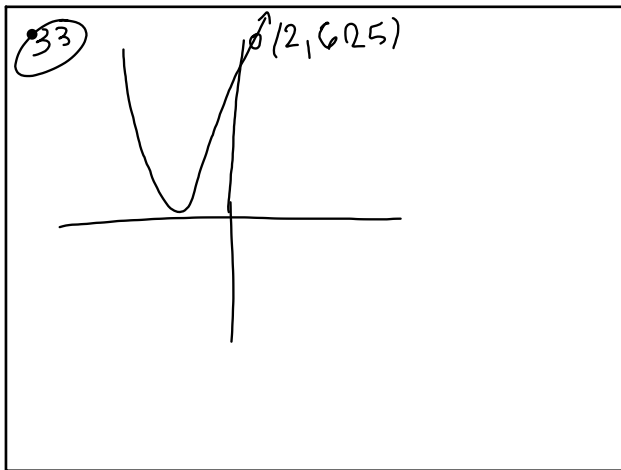
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